An analytical solution of ground reaction curves for grouted tunnels Eine analytische Lösung für einen injektionsverstärkten Tunnel mittels Bodenwiderstandskurven

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ABSTRACT: Ground reaction curve concept is often used in tunnelling engineering for analysing interactions between rock mass and supports. Whereas there are already analytical solutions of ground reaction curves, treating the ground as a homogeneous medium, there is no such a solution for a grouted tunnel, where the ground has two layers of material with different properties. This paper presents an analytical solution, based on the theory of elasticity and theory of plasticity. The rock is considered as a perfectly-plastic medium after it yields, and the dilation of the rock mass is taken into account. This solution can be used not only for analysing grouted tunnels, but also for analysing tunnels with weakened zone caused by blasting. Computer programs of the solution are now available. Comparisons between the theory and numerical calculations are also presented.

ZUSAMMENFASSUNG: Bodenwiderstandskurven werden oft in der Tunnelbautechnik verwendet um die Zusammenwirkung zwischen dem Fels und der Verstärkung zu analysieren. Während es analytische Lösungen für Bodenwiderstandskurven im homogenen Untergrund gibt, fehlen solche Lösungen für den Fall wo der Tunnel von zwei Schichten mit verschiedenen Materialeigenschaften umgeben ist. In dem vorliegenden Aufsatz wird eine analytische Lösung unter Verwendung der Elastizitäts- und Plastizitätstheorie präsentiert. Der Fels wird im Bruchzustand als ideal-plastisches Material behandelt und die Dilatation der Felsmasse berücksichtigt. Die vorgeschlagene Lösung kann auch zur Analyse eines Tunnels mit einer durch Sprengung aufgelockerten Grenzschicht verwendet werden. Berechnungsprogramme zur Lösung des Problems sind vorhanden. Ein Vergleich mit numerischen Lösungen wird auch präsentiert.

1. INTRODUCTION

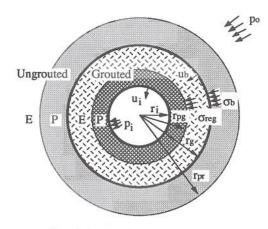
Grouting is often used in tunnels in order to (i) tight the tunnel, (ii) enhance the strength of the rock mass. In accordance with the New Austrian Tunnelling Method (NATM), the Ground Reaction Curve concept (GRC) is often used to analyse the interaction between the rock mass and supports. Up to date, however, analytical solutions of the ground reaction curves are not available for grouted tunnels. This paper will present such an analytical solution, based on the theory of elasticity and theory of plasticity. The dilation of the rock mass is taken into account and the rock is considered as perfectly-plastic medium when it yields. Moreover, this solution is also applicable for tunnels with weakened zone caused by blasting.

The advantages of such solutions over numerical calculations are

- i) it is easy to use,
- ii) it is suitable for use *in-situ* because it gives immediate answer,
- iii) it is convenient to make sensitivity studies of important parameters.

2. ANALYTICAL MODEL OF GROUTED TUNNEL

The model of a grouted tunnel to be analysed is shown in Figure 1. It is assumed that the tunnel is circular, the initial stress is hydro-static and the rock mass is grouted before tunnelling. At initial state $(p_i=p_o)$, both grouted and ungrouted rock mass are elastic. When p_i is decreasing during tunnelling process, plasticity



 $r_i = radius of the tunnel,$

rg = radius of grouted zone,

rpg = radius of the plastic zone in the grouted zone,

rpr = radius of the possible plastic zone in the ungrouted rock,

 p_i = internal pressure acting on the tunnel wall,

po = initial ground stress,

 σ_b = radial contact stress at the boundary between the grouted and ungrouted rock,

 σ_{reg} = radial stress at the elastic-plastic boundary in the grouted rock,

ui = radius displacement of the tunnel wall,

u_b = radius displacement at the boundary between the grouted and ungrouted rock.

Fig.1 Analytical model of a grouted tunnel
Analytisches Modell eines injektierten Tunnels

may exist in either grouted zone or ungrouted zone or both zones. Because the grouted rock can be fully elastic or elasto-plastic or completely plastic, and the ungrouted rock can be fully elastic and elasto-plastic, there will be six cases that must be taken into account (see Table 1). In practice all of these cases are not likely to occur for a particular tunnel project. But all of them must be considered in the analytical solution.

In order to obtain the solution of the ground reaction curve (GRC) (i.e. the relation between p_i and u_i) of the grouted tunnel, the problem is treated as a perfect contact problem which can be described mathematically as

for ungrouted zone
$$u_{br} = f_1 (\sigma_{br}, p_o)$$
 (2.1)

Table 1 Six cases in the analytical solution

Case	Grouted	Ungrouted	Symbol	
No	Rock	Rock	56	
1	Elastic	Elastic	E/E	
2	Elastic	Elasto-Plastic	E/EP	
3	Elasto-Plastic	Elastic	EP/E	
4	Elasto-Plastic	Elasto-Plastic	EP/EF	
5	Fully Plastic	Elastic	P/E	
6	Fully Plastic	Elasto-Plastic	P/EP	

for grouted zone:
$$\begin{cases} u_{bg} = f_2 \left(\sigma_{bg}, p_i \right) \\ u_i = f_3 \left(\sigma_{bg}, p_i \right) \end{cases}$$
 (2.2)

contact conditions:
$$\sigma_{br} = \sigma_{bg} = \sigma_b$$
 (2.3)
 $u_{br} = u_{bg} = u_b$

where

 u_{br} = displacement at the grout boundary from the ungrouted rock side,

 u_{bg} = displacement at the grout boundary from the grouted rock side,

u_i = displacement of the tunnel wall,

s_{br} = radial stress acting on the ungrouted side at the grouted boundary,

s_{bg} = radial stress acting on the grouted side at the grouted boundary,

f₁ = a function describing the behaviour of the ungrouted rock,

f₂ and f₃ = functions describing the behaviour of the grouted rock.

Function f_1 for elastic and elasto-plastic conditions has been achieved by different authors, e.g. Stille (1983, 1989) and Hook & Brown (1980). While function f_2 and f_3 for elastic condition can be easily obtained from the theory of elasticity (e.g. Timoshenko et al, 1970), the solutions for elasto-plastic or fully plastic conditions have not been published up to present. When the functions f_1 and f_2 for all conditions are known, the contact stress σ_b can be solved by using the contact conditions (2.3), and then the displacement of the tunnel wall can be obtained by f_3 .

This paper will present a detailed derivation of function f_2 and f_3 for all the conditions of the grouted zone. For the convenience to the readers and the unity of the paper, the previous solutions of f_1 will also be given. Then solutions to all the six cases given in Table 1 will be presented.

3. SOLUTIONS FOR UNGROUTED ROCK

3.1 Elastic condition

By means of the plane strain elastic solution of a circular tunnel, equation

$$u_b = \frac{r_b}{2G} \left[p_o - \sigma_b \right] \tag{3.1}$$

holds for rock mass, where G = shear modulus of ungrouted rock mass.

3.2 Elasto-plastic condition

For a perfect elasto-plastic material with the Mohr-Coulomb's failure criterion and a non-associated flow rule for the dilatancy after failure, the following solution for a circular tunnel in an infinite medium under hydrostatic initial ground pressure p_0 will be achieved (Stille, 1983, 1989).

The deformation of the tunnel surface, u_i , is given as

$$\frac{u_b}{r_b} = \frac{A}{f+1} \left[2 \left(\frac{r_p}{r_b} \right)^{f+1} + (f-1) \right]$$
 (3.2)

$$\frac{r_{p}}{r_{b}} = \left[\frac{\sigma_{re} + a}{\sigma_{b} + a}\right]^{\frac{1}{k-1}} \tag{3.3}$$

where

r_p = radius of plastic zone in the ungrouted rock,

$$\sigma_{re} = \frac{2}{1+k} (p_o + a) - a ,$$

$$A = \frac{1 + \mu}{E} (p_o - \sigma_{re}),$$

$$a = \frac{c}{\tan \phi},$$

$$k = \tan^2 \left(45 + \frac{\phi}{2} \right)$$

c = cohesion of ungrouted rock mass,

 ϕ = friction angle of ungrouted rock mass.

E = Young's modulus of ungrouted rock mass,

 μ = Poisson's ratio of ungrouted rock mass,

f = the volume expansion after failure given by

$$f = \frac{\tan\left(45 + \frac{\phi}{2}\right)}{\tan\left(45 + \frac{\phi}{2} - \Psi\right)}$$

 Ψ = dilatancy angle,

4. SOLUTIONS FOR GROUTED ROCK

4.1 Elastic condition

The grouted rock can be treated as a thick tube problem. Under plane strain condition, stresses in an elastic thick tube are given (Timoshenko, 1970)

$$\begin{cases}
\sigma_{r} \\
\sigma_{t}
\end{cases} = \begin{bmatrix}
\frac{r_{b}^{2} - r^{2}}{r_{b}^{2} - r_{i}^{2}} \frac{r_{i}^{2}}{r^{2}} & \frac{r^{2} - r_{i}^{2}}{r_{b}^{2} - r_{i}^{2}} \frac{r_{b}^{2}}{r^{2}} \\
-\frac{r_{b}^{2} + r^{2}}{r^{2} - r^{2}} \frac{r_{i}^{2}}{r^{2}} & \frac{r^{2} + r_{i}^{2}}{r^{2} - r^{2}} \frac{r_{b}^{2}}{r^{2}}
\end{bmatrix} \begin{cases}
p_{i} \\
\sigma_{b}
\end{cases} (4.1)$$

From Hook's law for the plane strain condition, the total strains are given as

$$\begin{Bmatrix} \varepsilon_{r} \\ \varepsilon_{t} \end{Bmatrix} = \frac{1 - \mu_{g}^{2}}{Eg} \begin{bmatrix} 1 & -\frac{\mu_{g}}{1 - \mu_{g}} \\ -\frac{\mu_{g}}{1 - \mu_{g}} & 1 \end{bmatrix} \begin{Bmatrix} \sigma_{r} \\ \sigma_{t} \end{Bmatrix}$$
(4.2)

where

 E_g = elastic modulus of the grouted rock, μ_g = Poisson's ratio of the grouted rock.

Because we are interested in the deformation caused by the excavation, the initial strain ϵ_o existing in the rock mass before the excavation should be subtracted from the total strains. The initial strain is determined by

$$\varepsilon_{o} = \frac{(1 + \mu_{g})(1 - 2 \mu_{g})}{E_{g}} p_{o} = -L p_{o}$$
 (4.3)

$$L = -\frac{\left(1 + \mu_{\rm g}\right)\left(1 - 2\,\mu_{\rm g}\right)}{E_{\rm g}}$$

Therefore, from the compatibility conditions, the displacement caused by the excavation is expressed by

$$\frac{\mathbf{u}}{\mathbf{r}} = \varepsilon_{\mathsf{t}} - \varepsilon_{\mathsf{o}} \tag{4.4}$$

Substituting equations (4.1), (4.2) and (4.3) into (4.4) will give

$$\frac{u}{r} = M(r) p_i + N(r) \sigma_b + L p_o$$
 (4.5)

where

$$M(r) = \frac{1 - \mu_g^2}{E_g} \left(-\frac{r_b^2 + r^2}{r_b^2 - r_i^2} \frac{r_i^2}{r^2} - \frac{\mu_g}{1 - \mu_g} \frac{r_b^2 - r^2}{r_b^2 - r_i^2} \frac{r_i^2}{r^2} \right)$$

$$N(r) = \frac{1 - \mu_g^2}{E_g} \left(\frac{r^2 + r_i^2}{r_b^2 - r_i^2} \frac{r_b^2}{r^2} - \frac{\mu_g}{1 - \mu_g} \frac{r^2 - r_i^2}{r_b^2 - r_i^2} \frac{r_b^2}{r^2} \right)$$

When r is set to r_i, we will obtain the displacement of the tunnel wall

$$\frac{u_i}{r_i} = M(r_i) p_i + N(r_i) \sigma_b + L p_o$$
 (4.6)

and when $r = r_b$ the displacement at the boundary between the grouted and ungrouted rock is given by

$$\frac{u_b}{r_b} = M(r_b) p_i + N(r_b) \sigma_b + L p_o$$
 (4.7)

4.2 Elasto-plastic condition

When the grouted rock become plasticized, the rock is divided into two zones, the plastic zone and elastic zone. The radius of the plastic zone is noted as r_{pg} (refer to Figure 1).

From the compatibility conditions, the deformation in the plastic zone caused by excavation can be written as

$$\frac{\mathbf{u}}{\mathbf{r}} = \varepsilon_{\mathbf{t}}, \qquad \frac{\mathbf{d}\mathbf{u}}{\mathbf{d}\mathbf{r}} = \varepsilon_{\mathbf{r}}$$
 (4.8)

where

 ϵ_r , ϵ_t = relative radial and tangential strain in the plastic zone caused by excavation. These strains consist of a plastic part and an elastic part, i.e.

$$\varepsilon_t = \varepsilon_t^p + \varepsilon_t^e$$
, $\varepsilon_r = \varepsilon_r^p + \varepsilon_r^e$ (4.8a)

The non-associated flow law for the plastic strains is written as

$$\varepsilon_{\mathbf{r}}^{\mathbf{p}} = -f_{\mathbf{g}} \, \varepsilon_{\mathbf{l}}^{\mathbf{p}} \tag{4.9}$$

where fg is the volume expansion factor after

failure of the grouted rock. Combining Equation (4.8), (4.8a) and (4.9) will give following differential equation

$$\frac{d\mathbf{u}}{d\mathbf{r}} + f_{\mathbf{g}} \frac{\mathbf{u}}{\mathbf{r}} = \varepsilon_{\mathbf{r}}^{\mathbf{e}} + f_{\mathbf{g}} \varepsilon_{\mathbf{t}}^{\mathbf{e}} \tag{4.10}$$

If we assume that the elastic strains are constant in the plastic zone and equal to the value at the e-p boundary ($r = r_{pg}$), the solution of equation (4.10) can be easily obtained. Then the deformation of the tunnel wall is expressed as

$$\frac{u_i}{r_i} = \frac{1}{f_g + 1} \left(\left(\epsilon_t^e - \epsilon_r^e \right) \left[\frac{r_{pg}}{r_i} \right]^{f_g + 1} + \epsilon_r^e + f_g \; \epsilon_t^e \right) \quad (4.11)$$

where the elastic strains can be determined by

$$\varepsilon_{t}^{e} = \frac{1 - \mu_{g}^{2}}{E_{g}} \left(\sigma_{teg} - \frac{1 - \mu_{g}}{\mu_{g}} \sigma_{reg} \right) + L p_{o}$$

$$\varepsilon_{r}^{e} = \frac{1 - \mu_{g}^{2}}{E_{g}} \left(\sigma_{reg} - \frac{1 - \mu_{g}}{\mu_{g}} \sigma_{teg} \right) + L p_{o}$$

and

 σ_{reg} , σ_{teg} = radial and tangential stress respectively at the e-p boundary, which will be determined later.

Assuming a perfect elasto-plastic material, the radius of the plastic zone r_{pg} in the grouted rock is given by

$$\frac{r_{pg}}{r_i} = \left(\frac{\sigma_{reg} + a_g}{p_i + a_g}\right)^{\frac{1}{k_g - 1}} \tag{4.12}$$

where

$$a_g = \frac{c_g}{\tan \phi_g}$$

$$k_g = \tan^2\left(45 + \frac{\phi_g}{2}\right)$$

 $\begin{array}{l} c_g = \text{cohesion of the grouted rock mass,} \\ \phi_g = \text{friction angle of the grouted rock mass.} \end{array}$

The displacement at the outer boundary of the grouted zone $(r = r_b)$ is obtained by the compatibility condition and the fact that the outer part of the rock is elastic, e.g.

$$\frac{u_b}{r_b} = \varepsilon_{tb} + L p_o
= \frac{1 - \mu_g^2}{E_g} \left(\sigma_{tb} - \frac{\mu_g}{1 - \mu_g} \sigma_b \right) + L p_o$$
(4.13)

where

 ε_{tb} = elastic tangential strain at $r = r_b$, σ_{tb} = tangential stress at $r = r_b$,

Following is to find expressions for the stresses involved in calculating the displacements. The stresses in the elastic zone can be obtained by the same procedure as given the previous section.

$$\begin{cases} \sigma_r \\ \sigma_t \end{cases} = \begin{bmatrix} \frac{r_b^2 - r^2}{r_b^2 - r_{pg}^2} \frac{r_{pg}^2}{r^2} & \frac{r^2 - r_{pg}^2}{r_b^2 - r_{pg}^2} \frac{r_b^2}{r^2} \\ -\frac{r_b^2 + r^2}{r_b^2 - r_{pg}^2} \frac{r_{pg}^2}{r^2} & \frac{r^2 + r_{pg}^2}{r_b^2 - r_{pg}^2} \frac{r_b^2}{r^2} \end{bmatrix} \begin{cases} \sigma_{reg} \\ \sigma_b \end{cases}$$
 (4.14)

From equation (4.14), the tangential stress σ_{tb} at $r = r_b$ is given

$$\sigma_{tb} = -\frac{2 r_{pg}^2}{r_b^2 - r_{pg}^2} \sigma_{reg} + \frac{r_b^2 + r_{pg}^2}{r_b^2 - r_{pg}^2} \sigma_b$$
 (4.15)

The tangential stress σ_{teg} at $r = r_{pg}$ can be written as

$$\sigma_{\text{teg}} = -\frac{r_b^2 + r_{pg}^2}{r_b^2 - r_{pg}^2} \, \sigma_{\text{reg}} + \frac{2 \, r_b^2}{r_b^2 - r_{pg}^2} \, \sigma_b \tag{4.16}$$

It should be pointed out that σ_{reg} is a dependent variable of σ_b . In order to calculate σ_{tb} and σ_{teg} from equation (4.15) and (4.16), the relation between σ_{reg} and σ_b should be derived. Note that on the e-p boundary, the radial stress σ_{reg} and tangential stress σ_{teg} must meet the Mohr-Coulomb's criterion, i.e.

$$\frac{\sigma_{\text{teg}} - a_g}{\sigma_{\text{reg}} - a_g} = k_g \tag{4.17}$$

Eliminating σ_{teg} from equation (4.16) and (4.17) will give the relation

$$\sigma_{\text{reg}} = -\frac{(k_g - 1)(r_b^2 - r_e^2)a_g - 2r_b^2\sigma_b}{(r_b^2 - r_e^2)k_g + (r_b^2 + r_e^2)}$$
(4.18)

If the contact stress σ_b is known, all other stresses can be obtained from equation (4.18), (4.15) and (4.17). Then the elastic strains and the radius of the plastic zone can also calculated. Consequently the displacements u_i and u_b can be determined.

4.3 Completely plastic condition

The grouted zone will have no resistance to deformation when it becomes completely plastic, since the grouted rock is assumed to be a perfectly plastic material. In other words, the deformation of a completely plastic rock is arbitrary. However, the grouted rock in our case is bonded to the outer rock mass whose displacements u_b is determined by equation (3.1) or (3.2), i.e. the grouted rock is subjected to a defined displacement u_b . By using the compatibility conditions, the relation between u_b and u_i can be derived

$$u_i = u_b \left(\frac{r_b}{r_i}\right)^{f_g} + \frac{\varepsilon_r^e - f_g \, \varepsilon_t^e}{1 + f_g} \left[r_i - \left(\frac{r_b}{r_i}\right)^{f_g} r_b\right] \tag{4.19}$$

where ε_r^e and ε_t^e are the elastic strains in the plastic grouted rock, which are assumed to be constant and equal to the value at r = rb, i.e.

$$\varepsilon_{\rm r}^{\rm e} = \frac{1 - \mu^2}{E} \left(\sigma_{\rm b} - \frac{\mu}{1 - \mu} \sigma_{\rm tb} \right) \tag{4.20a}$$

$$\varepsilon_t^e = \frac{1 - \mu^2}{E} \left(\sigma_{tb} - \frac{\mu}{1 - \mu} \sigma_b \right) \tag{4.20b}$$

where σ_b and σ_{tb} are determined by following equations

$$\sigma_b = (p_i + a_g) \left(\frac{r_b}{r_i}\right)^{k_g - 1} - a_g$$
 (4.21a)

$$\sigma_{tb} = (p_i + a_g) k_g \left(\frac{r_b}{r_i}\right)^{k_g - 1} - a_g$$
 (4.21b)

4.4 Solutions for the six cases of grouted tunnel

Based on the solutions given in the previous sections for grouted and ungrouted rock, we can obtain solutions for each particular case given in Table 1 (see Table 2). To determine which case the tunnel belongs to, the "tree

Table 2 Solutions for the cases

Case	Contact condition	(4.6)	
E/E	Eq.(4.7) & (3.1)		
E/EP	Eq.(4.7) & (3.2)	(4.6)	
EP/E	Eq.(4.13) & (3.1)	(4.11)	
EP/EP	Eq.(4.13) & (3.2)	(4.11)	
P/E	$u_b = (3.1)$	(4.19)	
P/EP	$u_b = (3.2)$	(4.19)	

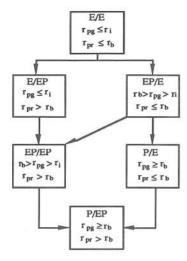


Fig. 2 The "tree approach" to determine the calculation flow

Die Verzweigungs-Methode zur Bestimmung des Berechnungsganges

approach" shown in Figure 2 is used in the computer program.

5. COMPARISON WITH NUMERICAL CALCULATIONS

In order to verity the formulation and the computer programs, ground reaction curves obtained from the solution are compared with that from numerical calculations by FLAC, version 3.22, for both tunnel with grouted zone and tunnel with weakened zone. Parameters used for the calculations and the properties of rock masses are given in Table 3 and Table 4 respectively. The mesh for the numerical model is shown in Figure 3. Results are shown in Figure 4 and Figure 5. It can be seen from the results that a good agreement is obtained

Table 3 Parameters used in the calculations

Initial ground stress	1 MPa
Radius of tunnel	4.7m
Radius of grouted zone	7.7m
Radius of weakened zone	7.7m

Table 4 Properties of rock masses

	Tunnel with grouted zone		Tunnel with weakened zone	
	Origin rock	Grouted rock	Origin rock	Weak rock
E (GPa) μ	0.1 0.2	0.5 0.2	0.5 0.2	0.1 0.2
φ	10°	15°	15°	10°
c (MPa)	0.1	0.2	0.2	0.1
Ψ	10°	10°	10°	10°

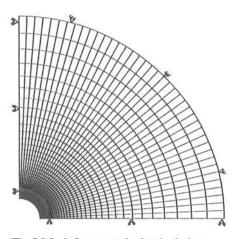


Fig.3 Mesh for numerical calculations Netz für die numerische Berechnung

between the analytical solution and numerical calculations.

6. CONCLUSIONS

The analytical solution presented in this paper provides a useful tool for obtaining ground reaction curves for grouted tunnels. The advantage of such analytical solutions is that immediate answer can be obtained once the input data are available. Therefore it is very

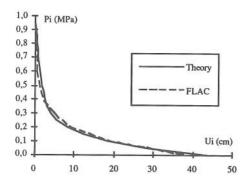


Fig. 4 Comparison between the theory and numerical results for tunnel with grouted zone

Vergleich zwischen der Theorie und dem numerischen Resultat für einen Tunnel mit einer injektierten Zone

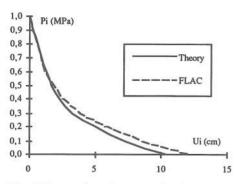


Fig. 5 Comparison between the theory and numerical results for tunnel with weakened zone

Vergleich zwichen der Theorie und dem numerischen Resultat für einen Tunnel mit einer geschwächten Zone

advantageous for the site engineers to use on a tunnel construction site.

The comparison between the results from the analytical solution and numerical calculations shows that a good agreement is obtained. This indicates that the formulation and computer program are reliable.

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PROCEEDINGS OF THE INTERNATIONAL CONFERENCE ON GROUTING IN ROCK AND CONCRETE / SALZBURG / AUSTRIA / 11-12 OCTOBER 1993
BERICHTE DER INTERNATIONALEN KONFERENZ BETREFFEND INJEKTIONEN IN FELS UND BETON / SALZBURG / ÖSTERREICH / 11-12 OKTOBER 1993

Grouting in Rock and Concrete Injizieren in Fels und Beton

Editor | Herausgeber RICHARD WIDMANN Österreichische Gesellschaft für Geomechanik

OFFPRINT



A.A. BALKEMA / ROTTERDAM / BROOKFIELD / 1993

9054102101 Shroff, A.V. & D.L.Shah Grouting technology in tunnelling and dam construction 1993, 24 cm, 618 pp., Hfl.135 / \$75.00 / £50 (No rights India) A systematic presentation of the essentials of grouting technology without going into the unnecessary details of any grouting project. Some of the important topics covered are grout mix design principles, rheological and strength aspects, theoretical and experimental developments, grouting plants and their specifications. geological investigations, drilling, monitoring of grouting, case studies on tunnelling, dam grouting and alternative applications of grouting. For better understanding of grouting principles, illustrative examples derived mainly from field studies have been given.

Marennyi, Ya.I. (R.B.Zeidler, transl.) Tunnels with in-situ pressed concrete lining-GEOTECHNIKA9 - Selected translations of Russian geotechnical literature 1993, 25 cm, 256 pp., Hfl. 150 / \$80.00 / £56

The book expounds the basics of the USSR-originating advanced method for construction of tunnels for various purposes with in situ pressure moulded linings, including practical tunnelling experience, theoretical basis and methods of analysis of such linings, specific requirements of concrete, operational procedure, equipment systems, as well as designs satisfying these requirements and evaluation of the method in technical and economical aspects. In the English version an updated state-of-the-art review has been added. Topics: Theoretical background for pressure moulding of concrete tunnel lining; Concrete for lining; Lining design; Construction of tunnels for various purposes; Experience of tunnel construction; Engineering and economic assessment of in-situ pressed linings; etc

90 5410 126 1 Bieniawski, Z.T. Design methodology in rock engineering: Theory, education and 1992, 25 cm, 208 pp., Hardback, Hfl.165/\$95.00/£61 (Student edn. Hfl.95/\$55.00/£35, 90 5410 121 0) The first comprehensive treatment of the subject of design methodology in rock engineering, this book emphasizes that a good designer needs not only knowledge for designing (technical knowledge) but also must have knowledge about designing (an appropriate process to follow). This unique book starts with an appraisal of current trends concerning global design activities and competitiveness and gives an insight into how designers design. The state of the art in engineering design is given with a detailed exposé of all significant design theories and methodologies. It then presents a design methodology specifically for rock engineering and demonstrates its practical use on the basis of important case histories. To

90 6191 902 9 Rock breakage by blasting (Russian translations series, 105) (No rights India) 1994, 24 cm, 152 pp., Hfl.95 / \$55.00 / £35 Monograph on the results of complex investigations into the rock breakage mechanism and the patterns of crack formation during a blast; Problems of modelling; Principal equations linking the model

with with prototype and similarity criteria; Methods of recording

stresses; Propagation and quality of ore fragmentation; Stability of

preserve the momentum of the design message, design education is

also discussed. A separate chapter is devoted to skills development,

present-ing the designer with an extensive repertoire of widely

available tools.

enclosing rocks.

Rock slope stability analysis 1992, 25 cm, 374 pp., Hfl. 135 / \$75.00 / £50 Rock slope stability analysis is an up-to-date book providing inforof rock engineering design. Starting from geological surveys and

mation in a new form and dealing with the geomechanical problems discontinuity data collections, the book describes a number of procedures able to assess the shear behaviour of joints and rock masses and the methods to model groundwater flow. The input data, required for a slope analysis, are completed by the description of the methods used to build a geo-mechanical model. Methods used to assess the stability degree of a rock slope are described as well as provisional techniques for the movement of unstable rocks. Rockfall models, toppling and buckling analysis; etc.

90 5410 339 6 Ribeiro e Sousa, L. & N.F.Grossmann (eds.) EUROCK '93-Safety and environmental issues in rock engineering / Problèmes de securité et d'environnement en mécanique des roches/Sicherheits- und Umweltsfragen im Felsbau Proceedings / Comptes-rendus / Sitzungsberichte / ISRM inter-national symposium, Lisbon, 21-24 June 1993 1993-94, 25 cm, c.900 pp. 2 vols, Hfl.265 / \$150.00 / £98 In most countries throughout the world, the general interest in safety of rock structures and in engineering aspects of rock mechanics concerning the geoenvironment, has risen significantly in recent years. The intent of the symposium was to assess the state-of-the-art in science and engineering aspects of rock mechanics in the areas of safety and environmental protection in rock engineering practices. The proceedings discuss various aspects concerning modelling in safety analysis, stability of underground structures, and contribution of incident and accident cases to the progress of rock engineering activities. The influence of the environment is also considered. namely inheat and mass transport, contaminant migration, and underground storage of waste and products.

Rossmanith, H.-P. (ed.) 90 5410 3167 Rock fragmentation by blasting - Proceedings of the fourth international symposium on rock fragmentation by blasting - FRAG-BLAST-4, Vienna, Austria, 5-8 July 1993 1993, 25 cm, 534 pp., Hfl. 195/\$115.00/£72 The technical papers presented are by experts from around the world: Mining companies, explosives suppliers, technical institutions & experts in blasting physics, instrumentation & measurement, explosive performance evaluation, blast design & iniation,

fragmentation mechanics, modelling & computer simulations & applications as well as blasting economics. Topics: Fundamental research in blasting; Vibration & damage in underground & surface blasting; Influence of joints & planes of weakness on stress waves & fragmentation; Throw, muckpile shape, & airblast on surface; Blast design; Fragmentation analysis; Explosives news & explosives properties; Special techniques & applications; Blasting in special regions; Miscellaneous

90 5410 309 4 Pasamehmetoglu, A.G. et al. (eds.) Assessment and prevention of failure phenomena in rock engineering - Proceedings of a regional symposium of the ISRM, Istanbul, Turkey, 5-7 April 1993 1993, 25 cm, 800 pp., Hfl. 260/\$150.00/£96 Failure phenomena and its mechanism in model tests, surface

structures and underground openings; Theoretical approaches; Numerical approaches; Case studies. Editors: Middle East Technical Univ., Ankara, Turkey.